

Energy communities & microgrids: current situation and perspectives

November 13th, 2019

ELEC0080-1 ENERGY NETWORKS Partim1: Les systèmes d'énergie électrique



Preamble





... to future power systems.





... to future power systems.







What is currently happening?

Elements of fear for the big utilities:

Cheap cost of distributed generation

Falling cost of batteries

Increase of energy efficiency

Electric cars + possible 'uberisation' of the grid

Community based energy solutions:



Small consumers, producers, prosumers sharing resources for their provision of energy

Made possible by exploiting the above-mentioned « elements of fear »

Rather than to oppose these community-based energy solutions, utilities should tap into the new business opportunities they represent



Energy prosumer communities

In this course, we will focus on two extreme types of energy communities, as well as on their potential interactions:

A first community of houses connected to the same low-voltage feeder, sharing production and/or storage capacities: the **local energy community**

A second community of electricity sellers, and electricity buyers, in particular using electric vehicles: the **mobile energy community**



Outline

I. Local energy communities

II. Mobile energy communities

III. Integrating communities?

IV. Décret "Communautés d'Energie Renouvelable"



I. Local Energy Communities



The microgrids case

A house, some PVs, and a little storage.

There is local electricity production, and a local consumption.

There is also the possibility to locally store energy.

Questions :

- Is it possible to become self-sufficient?
- What is the "best" way to size the installation ?



The microgrids case





The context: imagine a microgrid (MG) featuring photovoltaic (PV) panels, with both short and long terme storage devices.







The problem: how to optimally active the storage devices so that to minimise the operating costs of the MG?



Minimize $LEC = \frac{\sum_{t=0}^{T-1} \frac{-k F_t}{(1+r)^y} + I_0}{\sum_{u=1}^{n} \frac{\epsilon_y}{(1+r)^y}}$ where $y = \lceil t/365 \rceil$ With $0 \leq s_t^B \leq x^B$, $\forall t \in [0,T]$ $0 < p_t^{B,+} \le P_t^B,$ $\forall t \in [0, T-1]$ $-P_{t}^{B} < p_{t}^{B,-} < 0,$ $\forall t \in [0, T-1]$ $0 < s_t^{H_2} < R_t^{H_2}$ $\forall t \in [0,T]$ $0 < p_{\star}^{H_2, +} < x^{H_2},$ $\forall t \in [0, T-1]$ $-x^{H_2} < p_t^{H_2,-} < 0,$ $\forall t \in [0, T-1]$ $s_t^B = s_{t-1}^B + \eta_t^B p_{t-1}^{B,+} + \frac{p_{t-1}^{B,-}}{\zeta_{t-1}^B},$ $\forall t \in [1,T]$ $s_t^{H_2} = s_{t-1}^{H_2} + \eta_t^B p_{t-1}^{H_2,+} + \frac{p_{t-1}^{H_2,-}}{r_{t-1}^{H_2}},$ $\forall t \in [1,T]$ $F_t < -d_t - p_t^{B,+} - p_t^{B,-} - p_t^{H_2,+} - p_t^{H_2,-},$ $\forall t \in [1,T]$ $\forall t \in [1, T]$ $F_t \leq 0$,





Spain

Belgium







Using Reinforcement Learning...



(a) Typical policy during summer





(b) Typical policy during winter







From microgrids to local energy community

We consider a set of houses with PV panels (+ eventually batteries) sharing their resources in order to attain « community objectives »



The community needs to defined a **community objective**: Maximising the PV production, Minimising the cost of electricity, Minimising losses...

A community should also discuss how benefits should be shared, and also propose incentives to attract new members







N prosumers dynamically interacting with each other over a time horizon T

$$\forall (i,j) \in \{1,\ldots,N\}^2, \forall t \in \{0,\ldots,T-1\},\\ \theta_t^{(i \to j)} = \theta_t^{(j \leftarrow i)}$$

with the convention that $\theta_t^{(i \to i)} = 0, \theta_t^{(i \leftarrow i)} = 0 \ \forall i, t.$

$$\forall t, i, P_{P,t}^{(i)} = L_{P,t}^{(i)} + D_{P,t}^{(i)} + S_{P,t}^{(i)}$$

$$\forall t, i, \ D_{P,t}^{(i)} = \sum_{j=1}^{N} \left(\theta_t^{(i \to j)} - \theta_t^{(i \leftarrow j)} \right) + \delta D_{P,t}^{(i)}$$



Conservation of reactive power at the prosumer's location

$$\forall t, i, P_{Q,t}^{(i)} = L_{Q,t}^{(i)} + D_{Q,t}^{(i)}$$

Other power-related constraints:

$$\forall t, i \ P_{P,t}^{(i)} \le P_{P,t}^{(i),\max} \qquad \forall t, i \ \left| P_{Q,t}^{(i)} \right| \le P_Q^{(i),\max} \left(P_{P,t}^{(i)} \right)$$

$$\forall t, i, \left| S_t^{(i)} \right| \le S^{(i), \max} \left(\lambda_t^{(i)} \right) \quad \forall t, i \quad 0 \le \lambda_t^{(i)} \le \lambda^{(i), \max}$$



Network constraints:

$$\begin{aligned} \forall t, i, & \left| D_{P,t}^{(i)} \right| \\ &\leq D_P^{(i), \max} \left(P_{P,t}^{(i)}, P_{Q,t}^{(i)}, L_{P,t}^{(i)}, L_{Q,t}^{(i)}, S_t^{(i)}, D_{P,t}^{(j \neq i)}, D_{Q,t}^{(j \neq i)} \right) \\ &\forall t, i, & \left| D_{Q,t}^{(i)} \right| \\ &\leq D_Q^{(i), \max} \left(P_{P,t}^{(i)}, P_{Q,t}^{(i)}, L_{P,t}^{(i)}, L_{Q,t}^{(i)}, S_t^{(i)}, D_{P,t}^{(j \neq i)}, D_{Q,t}^{(j \neq i)} \right) \end{aligned}$$

At the root of the community:

$$\forall t \quad \Lambda_{P,t}^{(c)} = D_{P,t}^{(c)} - \sum_{i=1}^{N} D_{P,t}^{(i)}$$

$$\forall t \quad \Lambda_{Q,t}^{(c)} = D_{Q,t}^{(c)} - \sum_{i=1}^{N} D_{Q,t}^{(i)}$$



Costs and revenues

$$c_t^{(i)} = \Delta \left(\max\left(-\delta D_t^{(i)}, 0\right) Pr_t^{(D \to i)} + \sum_{j=1}^N \max\left(\theta_t^{(i \leftarrow j)}, 0\right) Pr_t^{(j \to i)} \right)$$

$$r_t^{(i)} = \Delta \left(\max\left(\delta D_t^{(i)}, 0\right) P r_t^{(i \to D)} + \sum_{j=1}^N \max\left(\theta_t^{(j \leftarrow i)}, 0\right) P r_t^{(j \to i)} \right)$$



$$\begin{split} \text{State and prices vector} \\ \Theta_{t}^{\rightarrow} &= \left(\theta_{t}^{(i \rightarrow j)}\right)_{i,j}, \quad \Theta_{t}^{\leftarrow} &= \left(\theta_{t}^{(i \leftarrow j)}\right)_{i,j} \\ \Xi_{t} &= \begin{bmatrix} \left(\frac{P_{p,t}^{(1)} & P_{Q,t}^{(1)}}{P_{p,t}^{(1),\max} & P_{Q,t}^{(1),\max}} \\ P_{p,t}^{(N),\max} & P_{Q,t}^{(N),\max} \\ P_{p,t}^{(N),\max} & P_{Q,t}^{(N),\max} \\ S_{t}^{(1)} & \lambda_{t}^{(1)} \\ \vdots & \vdots \\ S_{t}^{(N)} & \lambda_{t}^{(N)} \\ L_{p,t}^{(1)} & L_{Q,t}^{(1)} \\ \vdots & \vdots \\ D_{p,t}^{(N)} & D_{Q,t}^{(1)} \\ \vdots & \vdots \\ D_{p,t}^{(N)} & D_{Q,t}^{(1)} \\ \vdots & \vdots \\ D_{p,t}^{(N)} & D_{Q,t}^{(N)} \\ \end{bmatrix}, \\ \Phi_{t} &= \begin{pmatrix} Pr_{t}^{(D \rightarrow 1)} \\ Pr_{t}^{(D \rightarrow N)} \\ Pr_{t}^{(D \rightarrow N)} \\ Pr_{t}^{(D \rightarrow N)} \\ Pr_{t}^{(N \rightarrow D)} \\ Pr_{t}^{(N \rightarrow 1)} \\ Pr_{t}^{(N \rightarrow 1)} \\ Pr_{t}^{(N \rightarrow 1)} \\ Pr_{t}^{(N \rightarrow 1)} \end{pmatrix} \end{split}$$

 $\Xi_{t+1} = F(\Xi_t, \Phi_t, \Theta_t^{\rightarrow}, \Theta_t^{\leftarrow} \dots, \Xi_0, \Phi_0, \Theta_0^{\rightarrow}, \Theta_0^{\leftarrow}, \omega_t) \qquad \omega_t \sim P_t(\cdot)$



Need for an optimisation criterion:

Maximising **production**

$$\begin{array}{c} \max \\ P_{P,t}^{(i)}, P_{Q,t}^{(i)}, L_{P,t}^{(i)}, L_{Q,t}^{(i)}, S_t^{(i)}, \Theta_t^{\rightarrow}, \Theta_t^{\leftarrow} \\ t \in \{0, \dots, T-1\} \\ i \in \{1, \dots, N\} \end{array} \\ \end{array} \\ \begin{array}{c} \mathbb{E} \left[\sum_{t=0}^{T-1} \sum_{i=1}^{N} P_{P,t}^{(i)} \right] \\ \sum_{t=0}^{T-1} \sum_{i=1}^{N} P_{P,t}^{(i)} \right] \\ \end{array}$$

 $\Gamma T - 1 N$

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Taking **losses** into account

$$\max_{\substack{P_{P,t}^{(i)}, P_{Q,t}^{(i)}, L_{P,t}^{(i)}, L_{Q,t}^{(i)}, S_{t}^{(i)}, \\ \Theta_{t}^{\rightarrow}, \Theta_{t}^{\leftarrow} \\ t \in \{0, \dots, T-1\} \\ i \in \{1, \dots, N\} \\ \end{bmatrix} \mathbb{E} \left[\sum_{t=0}^{\sum} \sum_{i=1}^{N} P_{P,t}^{(i)} - \Lambda_{P,t}^{(c)} \right]$$

Maximising **revenues-costs**

$$\begin{array}{c} \max \\ P_{P,t}^{(i)}, P_{Q,t}^{(i)}, L_{P,t}^{(i)}, L_{Q,t}^{(i)}, S_{t}^{(i)}, \Theta_{t}^{\rightarrow}, \Theta_{t}^{\leftarrow} \mathbb{E} \left[\sum_{t=0}^{T-1} \sum_{i=1}^{N} r_{t}^{(i)} - c_{t}^{(i)} \right] \\ t \in \{0, \dots, T-1\} \\ i \in \{1, \dots, N\} \end{array}$$



Maximising PV production

Setting load profiles and PV production patterns







Maximising PV production

The basic approach: as soon as an over voltage is observed, the PV production is 100% curtailed for a few seconds.







Maximising PV production

The centralised controlled approach: optimise the production over the whole feeder in a centralised way. A home-made OPF solution has been specifically designed for this network.



Basic approach, PV production loss over one day: **31.63 kWh** Centralised community approach, PV production loss over one day: **21.38 kWh**



Including batteries into the story: from centralised to decentralised solutions

A centralised strategy

We use the forward backward sweep optimal power flow strategy proposed in [Fortenbacher et al.]

We obtain both a sizing and centralised planning strategy, for a given load and solar irradiance scenario

Optimal Sizing and Placement of Distributed Storage in Low Voltage Networks. Philipp Fortenbacher Martin Zellner Göran Andersson. IEEE Power Systems Computation Conference (PSCC), 2016.



Including batteries into the story: from centralised to decentralised solutions

Technical challenges for building centralised strategies

Information gathering

Need for a centralised controller for processing information

Concretising computational results into applied actions



Including batteries into the story: from centralised to decentralised solutions

We propose a data-driven, « learning approach »:

- 1. Built a set of centralised solutions
- 2. Generate learning (input, output) samples, where the input is made from local indicators, and the output is a decision that should be applied locally
- 3. Learn a strategy from the samples
 - Imitative learning





Ita

irradiance scenarios, a set of load scenarios

ance, load profiles} (using, for instance, a low approach)

$$[,\ldots,\Xi^*_{T-1}]$$

an extract a series of local data, i.e. relative to

$$\Xi_{t}^{(i),*} = \begin{pmatrix} P_{P,t}^{(i),*} & P_{Q,t}^{(i),*} \\ P_{P,t}^{(i),\max} & P_{Q,t}^{(i),\max} \\ S_{t}^{(i),*} & \lambda_{t}^{(i),*} \\ L_{P,t}^{(i)} & L_{Q,t}^{(i)} \\ D_{P,t}^{(i),*} & D_{Q,t}^{(i),*} \\ |V_{t}^{(i)}| & \arg\left(V_{t}^{(i)}\right) \end{pmatrix}$$

one single prosumer (i) :

$$\Xi_0^{(i),*},\ldots,\Xi_{T-1}^{(i),*}$$

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Learning from data - Imitative learning

We propose to use a machine learning approach

Machine learning is about extracting pattern from data

From the sample of data $L = (s^{(i)}, a^{(i)})_{i=1}^{N}$ we learning a mapping state -> action

Here, we adopt a slightly indirect approach by learning 4 different regressors:

Active power

Reactive power

Charging battery

Discharging the battery



Building 4 regressors from data (Active & reactive power, charge & discharge)

Da

$$\mathcal{L}^{P} = \left\{ \left(in_{P}^{i,t}, out_{P}^{i,t} \right) \right\}_{i=1,t=0}^{i=N,t=T-1}$$

$$\mathcal{L}^{Q} = \left\{ \left(in_{Q}^{i,t}, out_{Q}^{i,t} \right) \right\}_{i=1,t=0}^{i=N,t=T-1}$$

$$\mathcal{L}^{C} = \left\{ \left(in_{C}^{i,t}, out_{C}^{i,t} \right) \right\}_{i=1,t=0}^{i=N,t=T-1}$$

$$\mathcal{L}^{D} = \left\{ \left(in_{D}^{i,t}, out_{D}^{i,t} \right) \right\}_{i=1,t=0}^{i=N,t=T-1}$$

$$in_{P}^{i,t} = in_{Q}^{i,t} = in_{C}^{i,t} = in_{D}^{i,t} = (i, |\overline{\mathbf{v}}_{t}^{(i)}|, arg(\overline{\mathbf{v}}_{t}^{(i),*}), \phi_{t}, \lambda_{t}^{(i),*}, L_{P,t}^{(i)}, P_{P,t}^{(i),max})$$

$$out_{P}^{i,t} = P_{P,t}^{(i),*} \qquad out_{C}^{i,t} = \max\left(S_{t}^{(i),*}, 0\right)$$

$$out_{Q}^{i,t} = P_{Q,t}^{(i),*} \qquad out_{D}^{i,t} = \max\left(-S_{t}^{(i),*}, 0\right)$$



Post processing solutions & and testing solutions

Post-processing solutions

-> Ensure physical constraints are satisfied

For the active and reactive power production levels, ensure that the production levels are compatible with production bounds, for each prosumer i

For the power injected into / drawn from the battery, ensure that both maximal charging/discharging powers and of the level of charge evolution are feasible

Generating other scenarios to try the learned strategy

-> Evaluate the performance of learned policies in other environments



Test case

The number of buses is 15

The number of prosumers is 14

The number of branches is 14

 Δt is 1h

The time horizon *T* is 8760

The line resistance $R_{a} = R_{a} = \dots = R_{a}$ is 0.025 Ω

The line reactance $X_{d1} = X_{d2} = \dots = X_{dL}$ is 0.005 Ω

The nominal voltage of the network is 400 V

The maximum admissible voltage *v*^{max} is 1.10 *pu*

The minimum admissible voltage *v* minis 0.90 *pu*





Test case: prosumers characteristics

Id	Number of occupants	PV installed capacity	Storage installed capacity
		kW_p	kWh
1	1	2	2
2	1	2	2
3	2	3	2
4	2	3	2
5	2	3	2
6	3	3.5	5
7	3	3.5	5
8	3	3.5	5
9	4	5	6
10	4	5	6
11	4	5	6
12	4	5	6
13	5	7	8
14	5	7	8


Test scenarios

Load profiles are generated using the model provided in:

Richardson, I., Thomson, M., Infield, D., & Clifford, C. (2010). Domestic electricity use: A high-resolution energy demand model. *Energy and buildings*, *42*(10), 1878-1887.

3 scenarios solar production + electricity prices





Learning scenarios

We generate two additional price scenarios, S4 and S5.

The FBS-OPF algorithm is run on these two scenarios.

The resulting outputs of the FBS-OPF are used to generate learning sets for the regressors.





Results

Overall costs (objective function)

Overall costs					
Scenario	S 1	S2	S 3		
FBS-OPF algorithm	1105.54€	2121.16€	1837.80€		
SL algorithm	2711.44€	7832.43€	5123.09€		
RT algorithm	5143.32€	6501.94 €	5807.77 €		

Energy outlook:

Curtailments over the year				
Scenario	S 1	S 2	S 3	
FBS-OPF algorithm	7.01%	11.20%	9.69%	
SL algorithm	11.13%	32.78%	14.80%	
RT algorithm	11.91%	13.46%	15.12%	



Simulating a 3-phase unbalanced network

Generate a set of SLPs

Dispatch SLPs over the 3 phases by « approximating the job of an electrician »

Propose scenarii (PV, EVs).



Simulating a 3-phase unbalanced network (load sample)





Simulating a 3-phase unbalanced network (load only)





Simulating a 3-phase unbalanced network (a few PVs)





Simulating a 3-phase unbalanced network (a few PVs)

Power flow at the transformer





Simulating a 3-phase unbalanced network (PVs everywhere)





Simulating a 3-phase unbalanced network (EVs 10h-12h)





Simulating a 3-phase unbalanced network (EVs 18h)



II. The mobile community



The mobile community

We assume that the community is made of:

A set of electricity consumers using EVs

A set of location pairs (starting point, destination) corresponding to EVs travels

A set of electricity producers using renewable energy production capacities

The goal is to:

Maximise the consumption of local electricity, while avoiding electricity shortages of EVs



The atomic case

An EV starts from A and wants to join B (A: home, B: office)

You can charge your EV at home in A at a price P_A

There exists a source of electricity at C at a price P_C

 P_C may be lower than P_A , but it has a cost to be reached (detour)

The question is: how to compute decision making strategies to minimise the electricity budget, given the knowledge of:

- Prices, distances, time horizon
- Battery level





The atomic case

Start in A with a certain battery charge level

Consider different values of detour to reach C

Prices are constant:

A (at the network price) : 0.25€/kWh

C (from a PV installation) : 0.15€/kWh





We have identified three different configurations:

1. Charge all-day long (eventually on a low power charging station)

Residential PVs

Small wind turbines

2. Charge during lunch time with a fast-charger (with a parameter fixing the maximal distance that may be travelled)

Fast chargers

Wind turbines

3. Make a detour

Fast chargers



1st case





2nd case

'Fast' charger

'Slow' charger

- Starting point
 - Destination





3rd case

'Fast' charger

'Slow' charger

- Starting point
 - Destination





Finding a place to charge can be seen as a dispatching problem:

$d: EV \rightarrow Station$

We have first developed a intuitive heuristics to dispatch the fleet of EVS

This strategy is founded on a few parameters defining the maximal distances that are admissible (detour, lunch time round-trip, one-day charge)

This strategy aims at maximising the amount of energy that is gathered « locally »

This strategy will be the reference strategy.







Next-step: optimising the dispatch strategy

$$d^* \in \underset{d \in \Sigma}{\operatorname{arg\,max}}Q(d)$$

Necessity to have access to a value function Q (*quality function*) that would assess the quality of a dispatch strategy, including constraints satisfaction

No convexity neither differentiability ; use of Derivative-Free Optimisation techniques

Also looking for decentralised dispatch strategies



Getting closer to reality

Charging stations

Domestic PV installation (5 kWc)

Industrial PV system (100 kWc)

PV farm (100 MWc)

Single wind turbine (1 MW)

Wind farm (10 MW)

Chargers

22 kW, 50 kW and 120 kW

EVs capacity & charging curve

Capacity: 60 kWh, consumption: 20 kWh/100km, range: 300 km.

Charging curve taken from Gao, S., Chau, K.T., Chan, C.C., Liu, C., Wu, D., 2011. *Optimal control framework and scheme for integrating plug-in hybrid electric vehicles into grid*. Journal of Asian Electric Vehicles



PV farm of Toul-Rosières, 115 MWc



Wind farm of Estinnes, 81 MW





Getting closer to reality





The dispatching optimisation problem

Problem structure

There is no natural structure in the problem

No continuity, convexity, or 'proximity' notion may be easily (at this stage) deductible from the position of locations on the map

We propose to develop a genetic algorithm approach to optimise the dispatching between vehicles and charging

A gene represents a dispatch strategy, i.e. a set of associations between a EVs and charging stations:

Genes are evaluated using a 'fitness function'

Genetic optimisation

More concretely

Start with an initial population of genes

Using the fitness function, form a subpopulation with the best genes

Generate a new population using genetic operators (e.g. crossingover, mutations)

Iterate the process until a stopping condition is reached

Genetic operators

Crossing-over & recombination

Mutations (uniform, non-uniform, Gaussian...)

Note that in our specific context, we also need to avoid 'collisions', i.e. point the fact that two vehicles are dispatched to the same charger





Genetic optimisation

The fitness function

The fitness function summarises how 'good' a given solution (encoded using a gene)

Several fitness functions may be chosen; here we focus on:

Maximising the average (on the whole fleet of EVs) level of charge at the end of the day

$$fitness(gene) = \sum_{i=1}^{N} level_{i,T}$$

Why « at the end of the day »? In order to minimise the quantity of energy taken from the grid (EVs start everyday with a full battery)



The match



$$\mathsf{fitness}(\mathsf{gene}) = \sum_{i=1}^{nbEV} SoC_{i,T}$$









Scaling-up

Next steps: bigger, faster

±4000 green power stations(based on real data)

±3800 EVs(with different journey configurations)

Bing/Google map API for realistic distances and result visualisation tool

More time-slots

New dispatching algorithms











Upgrading the dispatching algorithm for A-B-C rides

- 1. **Compute**, for each point B, the **150 nearest power stations** in a radius of maximum 10km (the EV owner will have to select a station within this range)
- 2. **Build a graph** where each point B is linked to power stations with interest in the 150 closest ones, i.e power stations with sufficient power compared to the energy needed in the time wasted at B.
 - To construct this graph, we need to choose a metric for edges. Two metrics are proposed:
 (i) the physical distance between the station and B
 (ii) the mathematical distance between the power of the station and the optimal power needed by the car to recharge the correct amount of energy.
- 3. From the graph, **compute a minimal spanning tree**: the resulting tree gives to each point B at least one "near-optimal" charging station.



Results

Random(in a 10km radius) allocation			
data	500	1000	3765
number of vehicle with a station	3430,4	3407,2	3383,4
average detour(m)	7741,7	7767,9	7732,0
standard deviation of detour(m)	4470,9	4481,1	4452,2
average recharge(%)	56,3	55,9	55,9
standard deviation of recharge(%)	44,0	44,0	43,9
Average total energy recharged(kWh)	57 939,5	57 138,7	56 756,4

Minimizing di	istance		
data	500	1000	3765 ⁷
number of vehicle with a station	3232,2	3163,2	2864
average detour(m)	4271,6	4072,4	3647,5
standard deviation of detour(m)	3862,0	4481,1	3859,7
average recharge(%)	69,0	68,5	65,7
standard deviation of recharge($\%$)	39,6	39,9	41,1
Average total energy recharged(kWh)	66 906,5	65 003,8	56 449,4

Maximizing energy	y recharged		
data	500	1000	3765 ⁷
number of vehicle with a station	3375,0	3295,2	2824
average detour(m)	7515,9	7406,6	7305,2
standard deviation of detour(m)	4858,5	4481,1	4992,3
average recharge(%)	72,6	70,9	67,8
standard deviation of recharge(%)	39,1	39,9	42,0
Average total energy recharged(kWh)	73 507,5	70 088,9	57 440,2

Egoist minimizing distance			
data	500	1000	3765 ⁷
number of vehicle with a station	3368,0	3350,2	3313
average detour(m)	3571,7	3520,5	3493,1
standard deviation of detour(m)	3947,3	3883,8	3906,1
average recharge(%)	56,4	56,2	56,1
standard deviation of recharge(%)	43,8	43,7	43,7
Average total energy recharged(kWh)	59 986,6	56 484,4	55 757,8

Egoist maximizing power				
data	<mark>5</mark> 00	1000	3765 ⁷	
number of vehicle with a station	3455,8	3439,2	3432	
average detour(m)	6561,1	6536,6	6485,14	
standard deviation of detour(m)	4897,0	4891,0	4862,5	
average recharge(%)	66,6	66,7	66,7	
standard deviation of recharge(%)	41,0	40,9	40,9	
Average total energy recharged(kWh)	69 046,9	68 818,4	68 674,32	

III. Integrating communities



A viewpoint on the energy landscape



Electric vehicles need renewable energy (CO2-free) Renewable production needs storage and/or flexibility



Existing relationships in the EVs content




Adding a new dimension





« Drive Green and Local » GREEN : 2PM

windy, sunny, Sunday

GREY : 6PM winter, no wind

EV drivers



Retailer

Green

MSP

Electricity Markets



« Drive Green and Local »









« Drive Green and Local »





The « Drive Green and Local » Concept

Incentives for EV drivers and RE producers

Drive green, pay less

Play a serious game, become even greener, eventually get access to premium services, get free e-miles

Be part of a community

Incentives for CPOs



Green labelling of charging starting

To the CPO, the Green MSP plays the role of a « classical » MSP able to practice dynamic pricing

A Green MSP may offer to increase the use rate of its charging stations

IV. Décret "Communautés d'Energie Renouvelable"

Contexte

Actuellement, un cadre légal existe déjà pour le prosumer qui est le client résidentiel qui autoconsomme son électricité (photovoltaïque). Pour rappel, la déclaration de politique régionale du 25 juillet 2017 énonce que : « En s'appuyant sur l'expertise du régulateur, le décret et les arrêtés seront modifiés en vue d'établir un cadre de développement approprié des réseaux alternatifs et micro-réseaux, y compris citoyens, sous leurs différentes formes. L'émergence de ces réseaux se réalisera en étant attentif à une contribution équitable de l'ensemble des utilisateurs du réseau public ».

La nouvelle réforme, portée par le projet de décret, favorise donc la création de communautés d'énergie renouvelable autorisant l'autoconsommation collective d'électricité, ce qui permet de s'affranchir de la dimension physique du réseau. Ainsi, tout en mobilisant le réseau public, plusieurs entités (personnes physiques ou morales), au sein d'un périmètre, pourront s'entendre pour mutualiser et synchroniser leur production et consommation électrique.

Source : <u>https://gouvernement.wallonie.be/home/presse/publications/les-communautes-denergie-renouvelable-pour-une-meilleure-consommation-de-lenergie-1.publicationfull.html</u>

Possibilités

Ce nouveau modèle permettra différentes combinaisons :

- Soit un ménage produit plus qu'il n'en a besoin et s'associe avec d'autres ménages qui ne produisent pas afin de mutualiser leurs besoins énergétiques ;
- Soit un immeuble résidentiel installe de manière commune des panneaux sur son toit afin de répartir la production avec les habitants de l'immeuble ;
- Soit plusieurs entreprises s'associent afin de répartir leur production/consommation sur la journée afin de consommer au maximum lors des pics de production d'énergie et moins le reste du temps ;
- Soit une autorité locale (ex.: CPAS) installe des panneaux sur un immeuble de logements sociaux afin de faire bénéficier les locataires d'une énergie verte à moindre coût.
- Et bien d'autres combinaisons sont encore possibles.

Source : <u>https://gouvernement.wallonie.be/home/presse/publications/les-communautes-denergie-renouvelable-pour-une-meilleure-consommation-de-lenergie-1.publicationfull.html</u>

Objectifs

L'autoconsommation collective d'électricité :

- Permettra, à terme, de faire des économies dans le développement et le renforcement du réseau de distribution et aura de manière générale un impact positif sur la facture des participants à ces communautés.
- Permettra une meilleure intégration des énergies renouvelables. En effet, les énergies renouvelables sont des énergies dites intermittentes. La synchronisation de la production et de la consommation à une échelle locale permettra effectivement de mobiliser le réseau dans une moindre mesure, ce qui facilite en fin de compte son intégration à ce dernier.
- Favorisera également la smartisation du réseau. Posséder un compteur intelligent sera essentiel pour pouvoir participer à une communauté d'énergie renouvelable (meilleur calibrage de la consommation), ce qui permettra in fine d'éveiller la société à une adaptation de son mode de consommation d'électricité et de rebooster la compétitivité énergétique wallonne.

Source : <u>https://gouvernement.wallonie.be/home/presse/publications/les-communautes-denergie-renouvelable-pour-une-meilleure-consommation-de-lenergie-1.publicationfull.html</u>

Prospective conclusions



The current landscape

Directly selling and buying to other prosumers : currently not really almost possible

(i) Physical problem: need to go through the distribution network ; difficulties to monitor who buys, who produces : there is a potential accounting problem,(ii) A regulation problem,

(iii) Also, a « contracting problem »: prosumers may not want to spend time to manage transactions with other prosumers.

... but wait... Décret CERs !

Less dependency on centralised structures

(i) EVs may offer such an eventuality...

(ii) But the actual distribution network was clearly not designed for this.



Decentralisation (& digitalisation)

What is a « distributed ledger » ?

A distributed ledger is a consensus of replicated, shared, and synchronised digital data geographically spread across multiple sites, countries, or institutions. There is no central administrator or centralised data storage However, a peer-to-peer network is required as well as consensus algorithms to ensure replication across nodes is undertaken Ex: Blockchain

Why a distributed ledger ?

Transparency, reliability and low operational costs for managing transaction between prosumers

And what about smart contracts ?

Smart contracts are computer protocols that facilitate, verify, or enforce the negotiation or performance of a contract

Towards 'peer-to-peer' distribution networks ?





A few references from our lab

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